数学与系统科学研究院

计算数学所学术报告

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报告题目:

Eciently Finding (approximate) Energy Minimizers without Solving Dierential Equations

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<u>报告时间</u>: 2015 年 5 月 27 日(周三) 下午 15:00~16:00

<u>报告地点</u>: 科技综合楼三层 311 报告厅

Abstract:

Given an energy functional \$E[F]\$ (e.g., \$L^p\$ norm of \$F\$), it is a classical problem in the calculus of the variations to determine minimizer of \$E[F]\$ subject to some constraint \$F=f\$ on a subset \$\$\$ of \$\mathbb{R}^n\$. If the set \$\$\$ is nice, then we for solution to corresponding look the can Euler-Lagrange's equation. However, when the set \$S\$ is bad, this approach is not too fruitful. In this talk, we will explain how to directly construct (almost) minimizers of \$E[F]\$ subject to any constraint **\$F=f\$** on any closed subset **\$S\$** of **\$\mathbf{R}^n\$**. In particular, we will see that is \$S\$ consists of \$N\$ (arbitrary) points in \$\mathbf{R}^n\$, then the work required to compute an (almost) minimize as well as the (almost) minimum energy is on the order of \$N\log N\$. This is joint work with C. Fefferman and A. Israel.

欢迎大家参加!